

Watermarking with Retrieval System

Ee-Chien Chang

Sujoy Roy

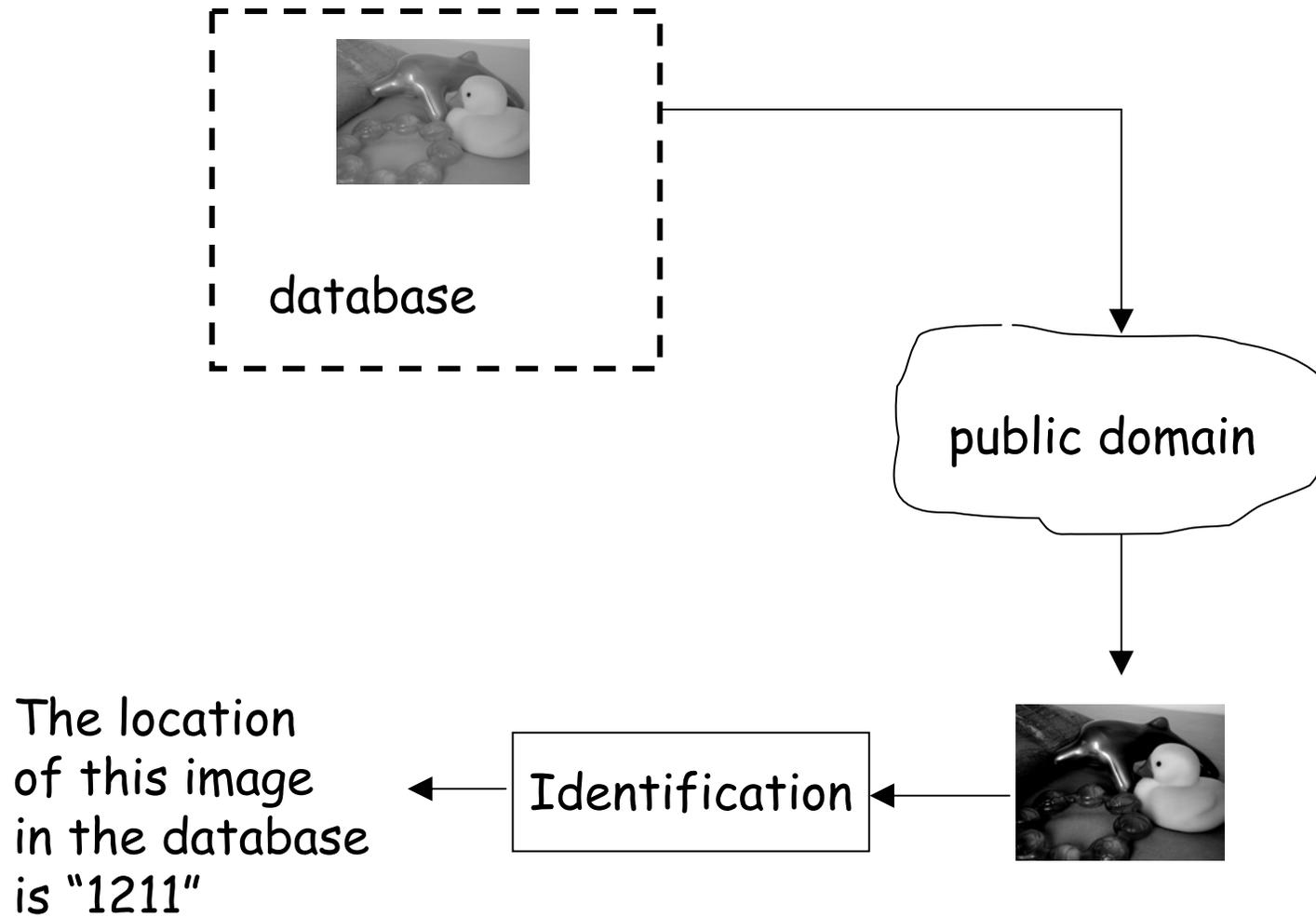
School Of Computing
National University of Singapore

{changeec,sujoyroy}@comp.nus.edu.sg
www.comp.nus.edu.sg/~changeec

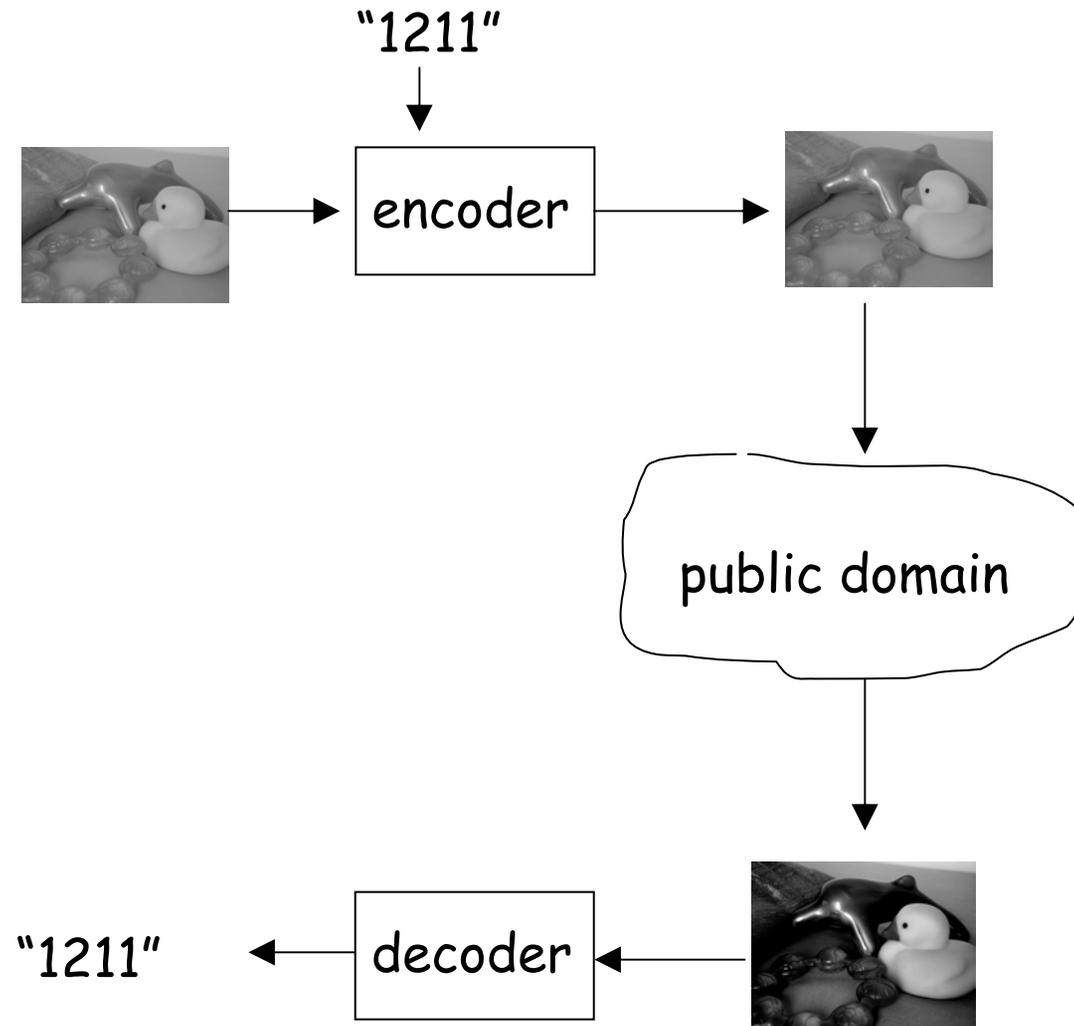
Outlines of this talk:

- Describe the identification/tracking problem
- Can be addressed by 1) Watermarking, or
2) Retrieval systems.
- Propose a tradeoff of 1) and 2).

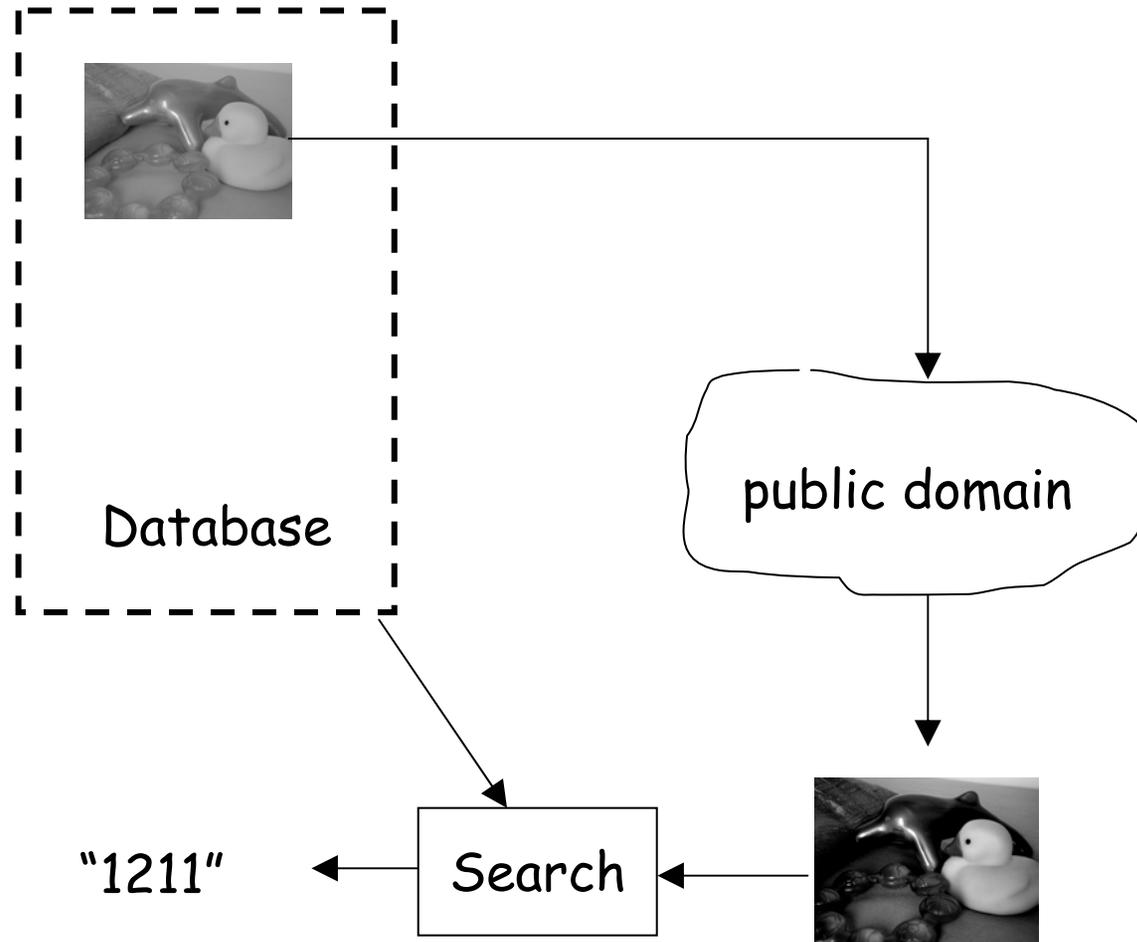
Identification/tracking



Identification/tracking by Watermarking



Identification/tracking by Retrieval



Research Goal:

- Retrieval systems: Slow searching (dimensionality curse), might causes ambiguity, no distortion.
- Watermarking: Fast decoding, resolve ambiguity, distortion.
- We propose to study tradeoff of these two extremes.

Image Space

Only watermarking...

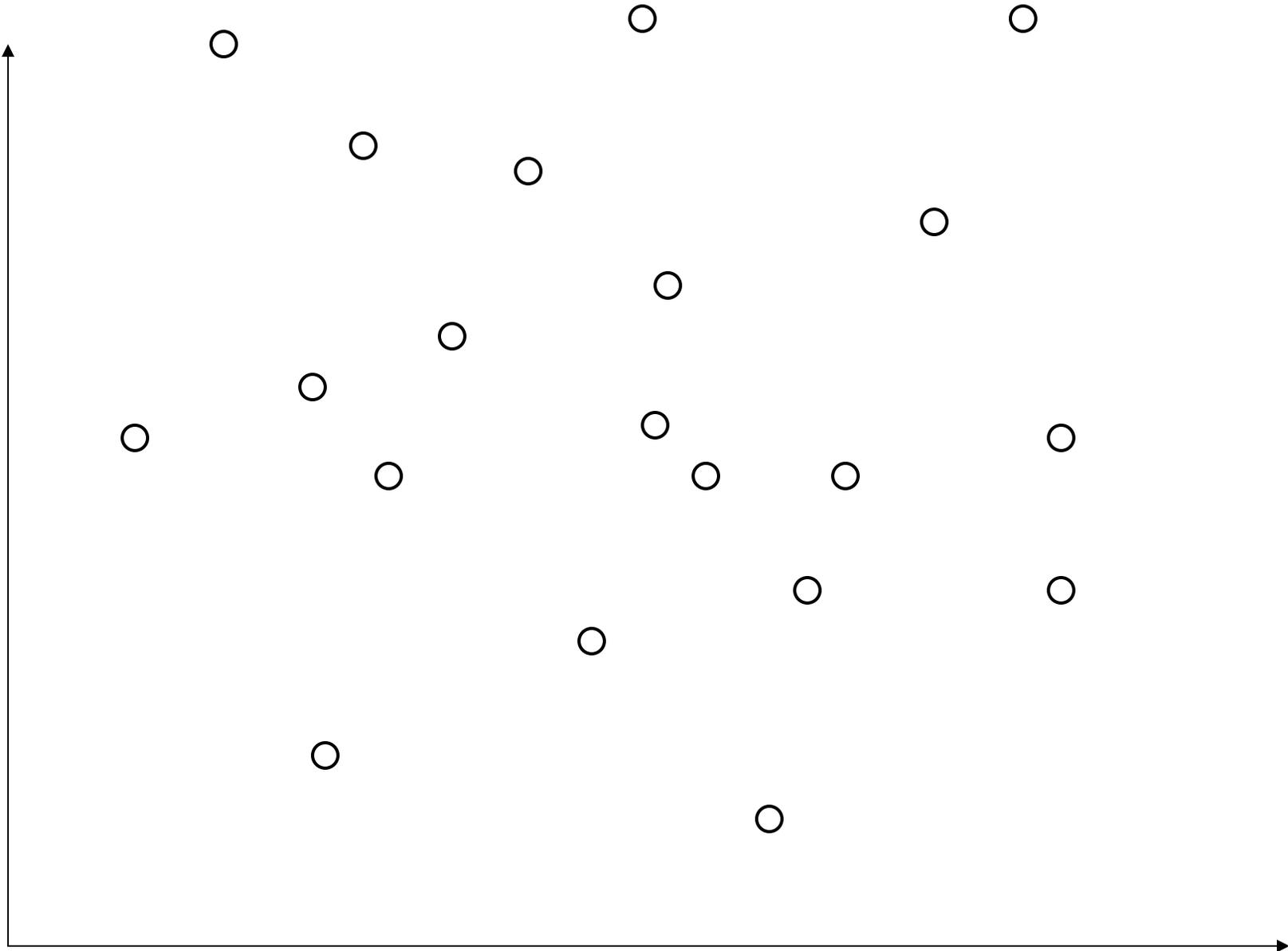


Image Space

Only watermarking...

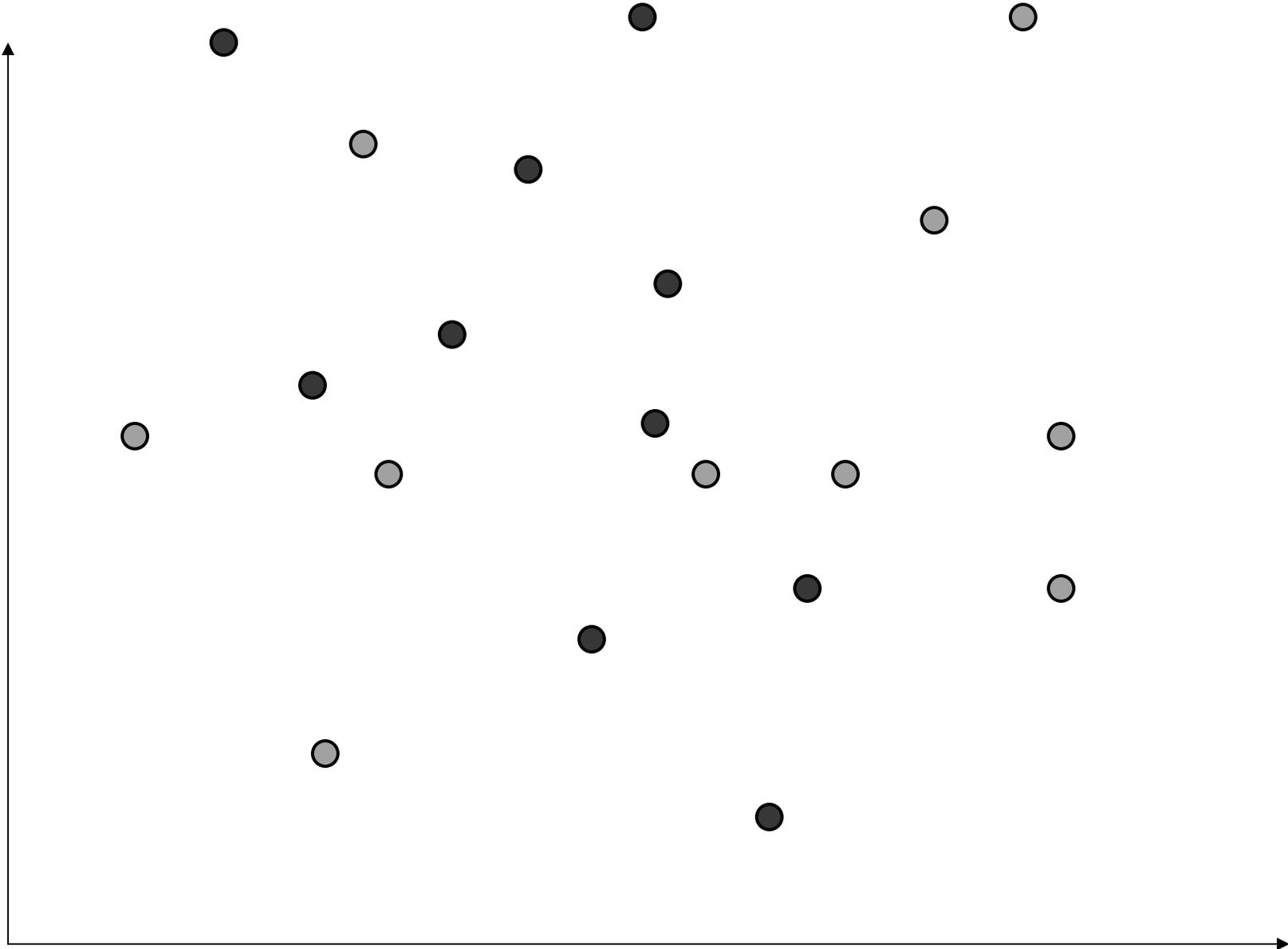


Image Space

Only watermarking...

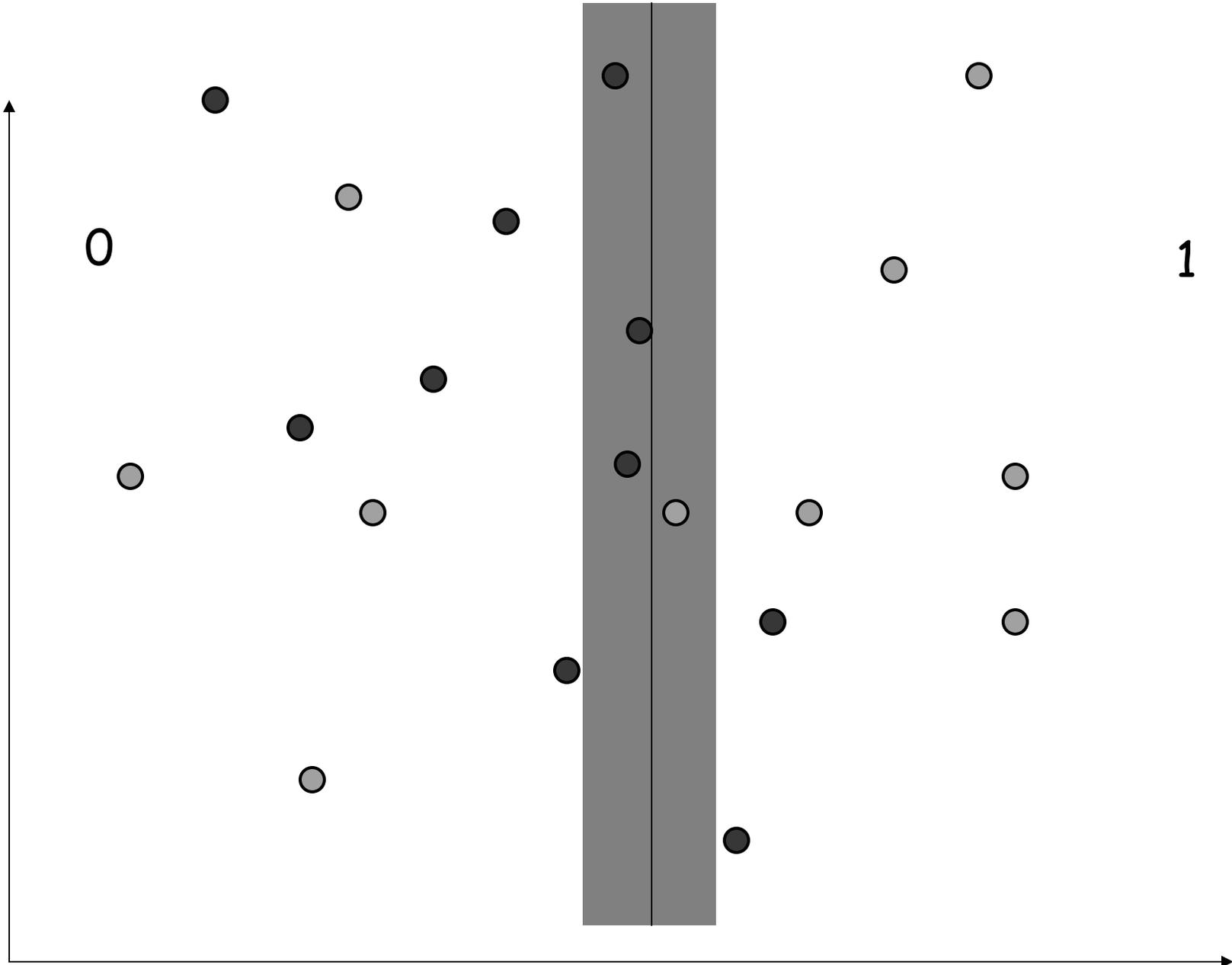


Image Space

Only watermarking...

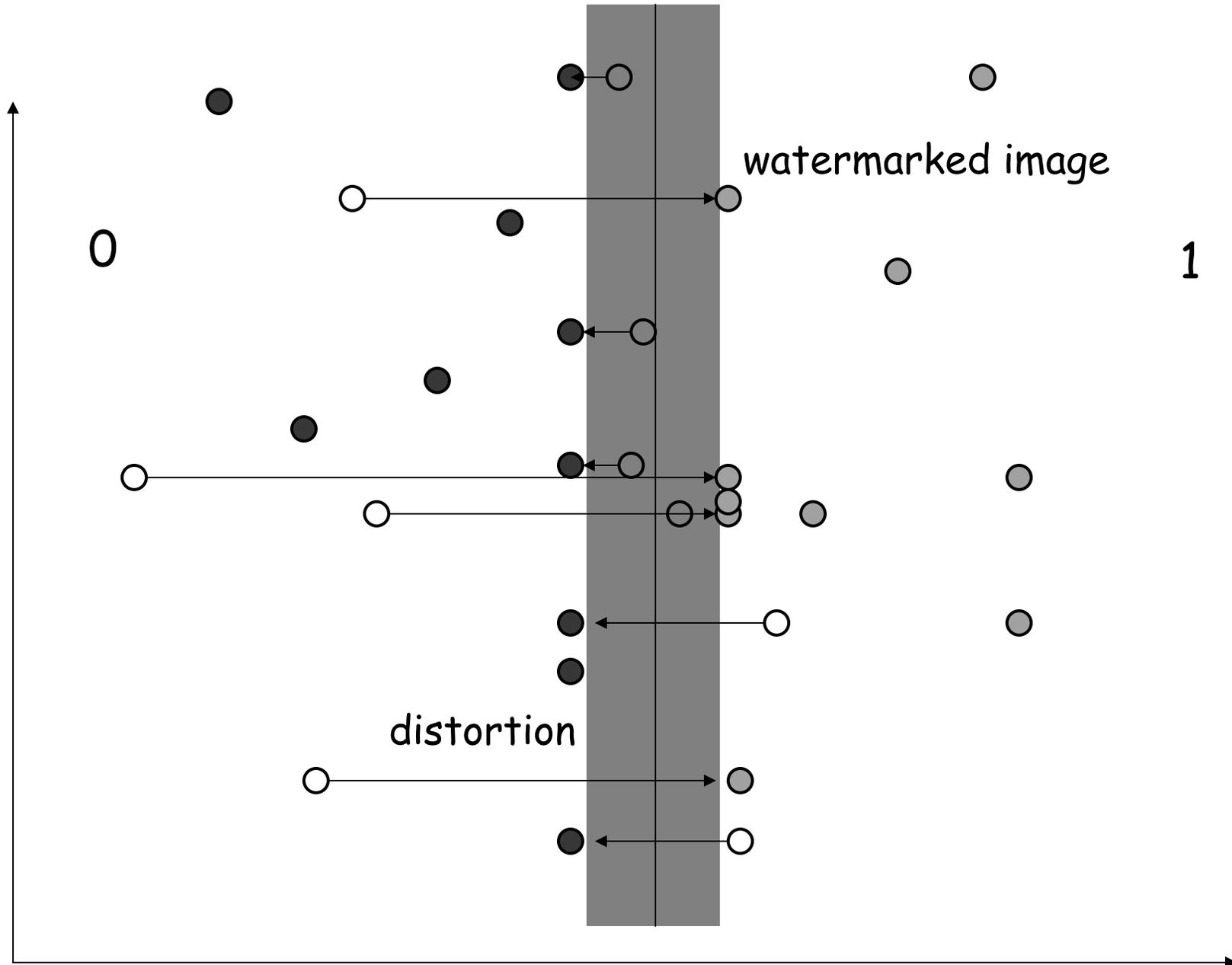


Image Space

Only by Retrieval...

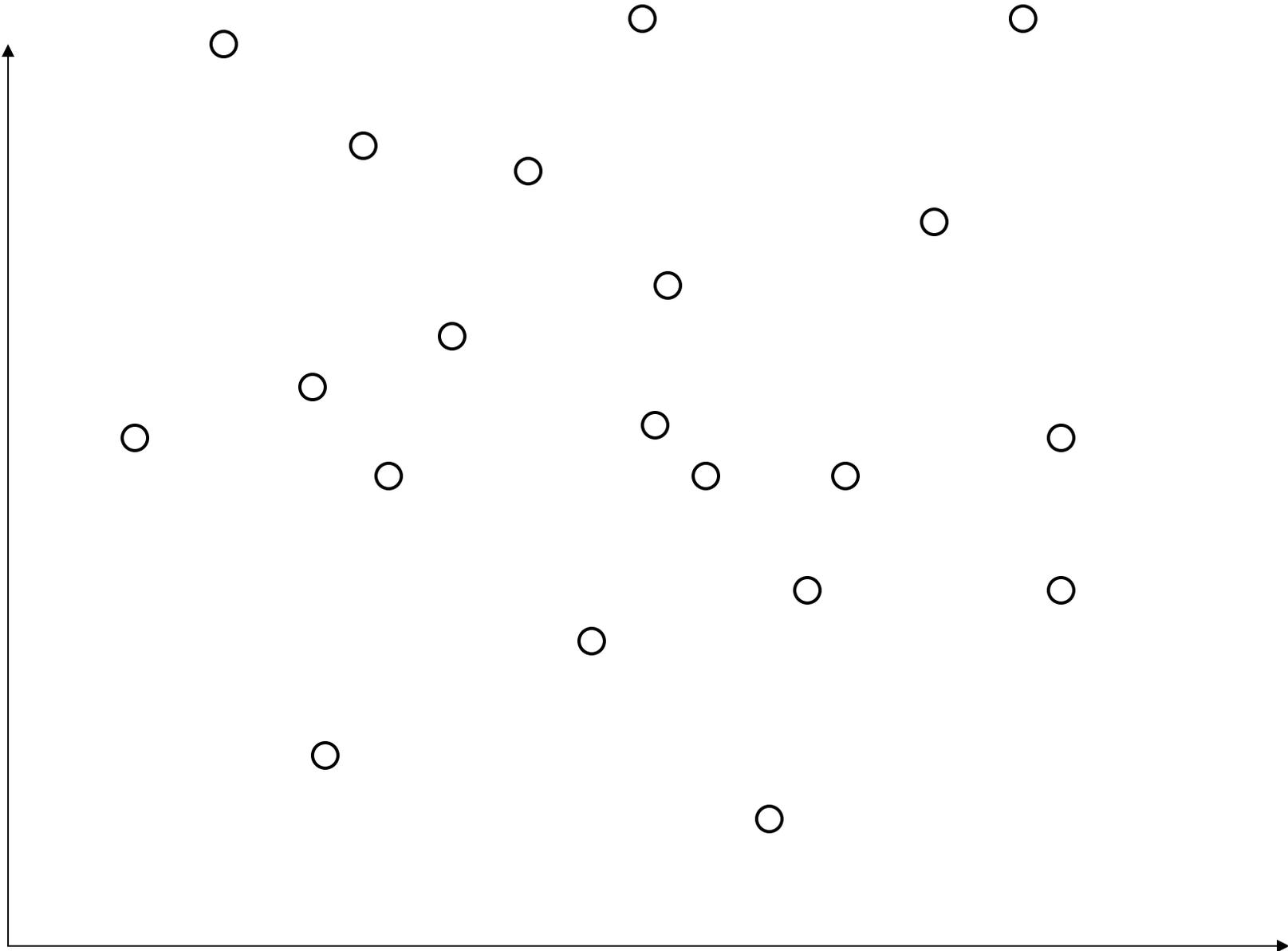


Image Space

Only by Retrieval...

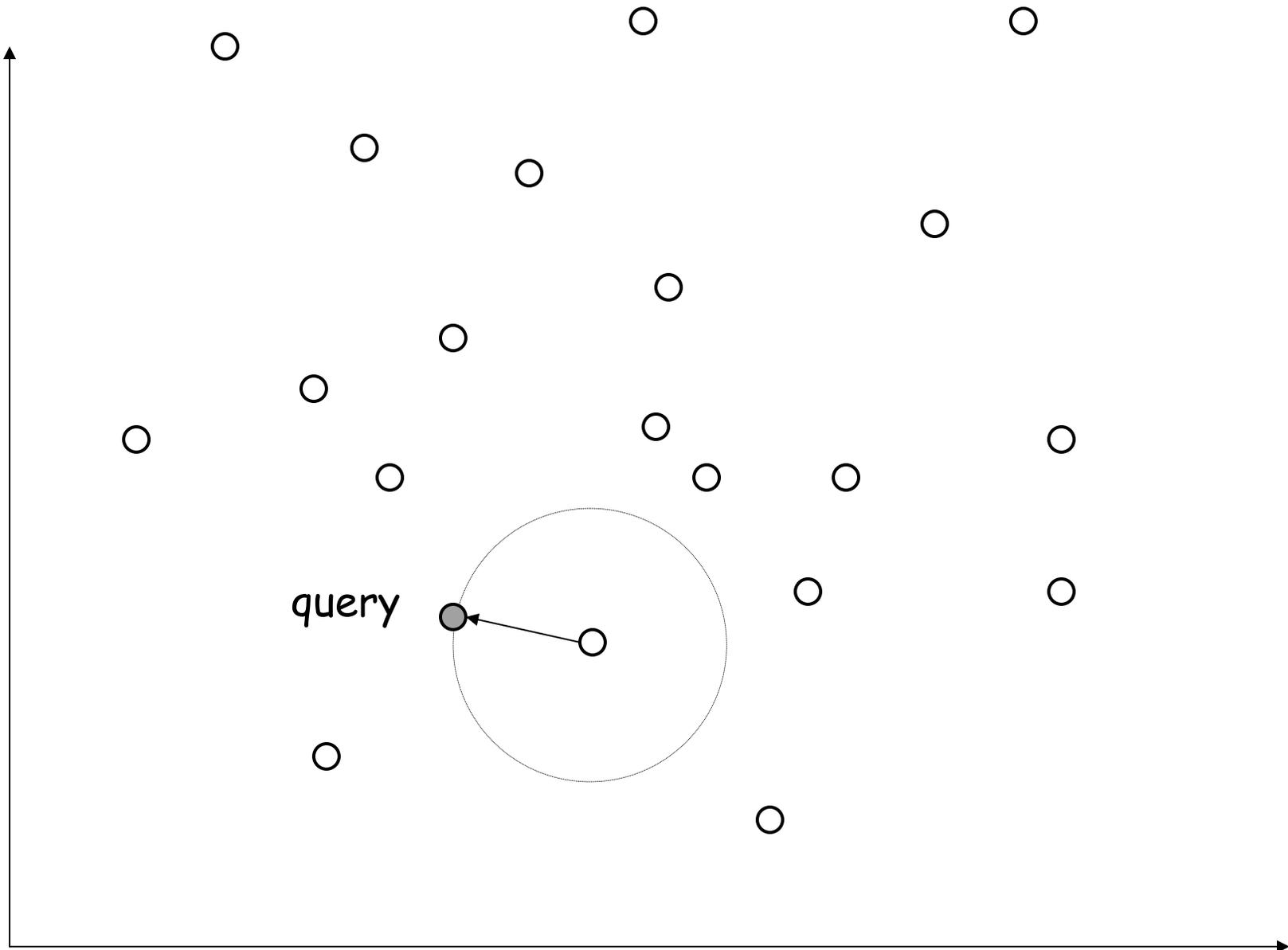


Image Space

Only by Retrieval...

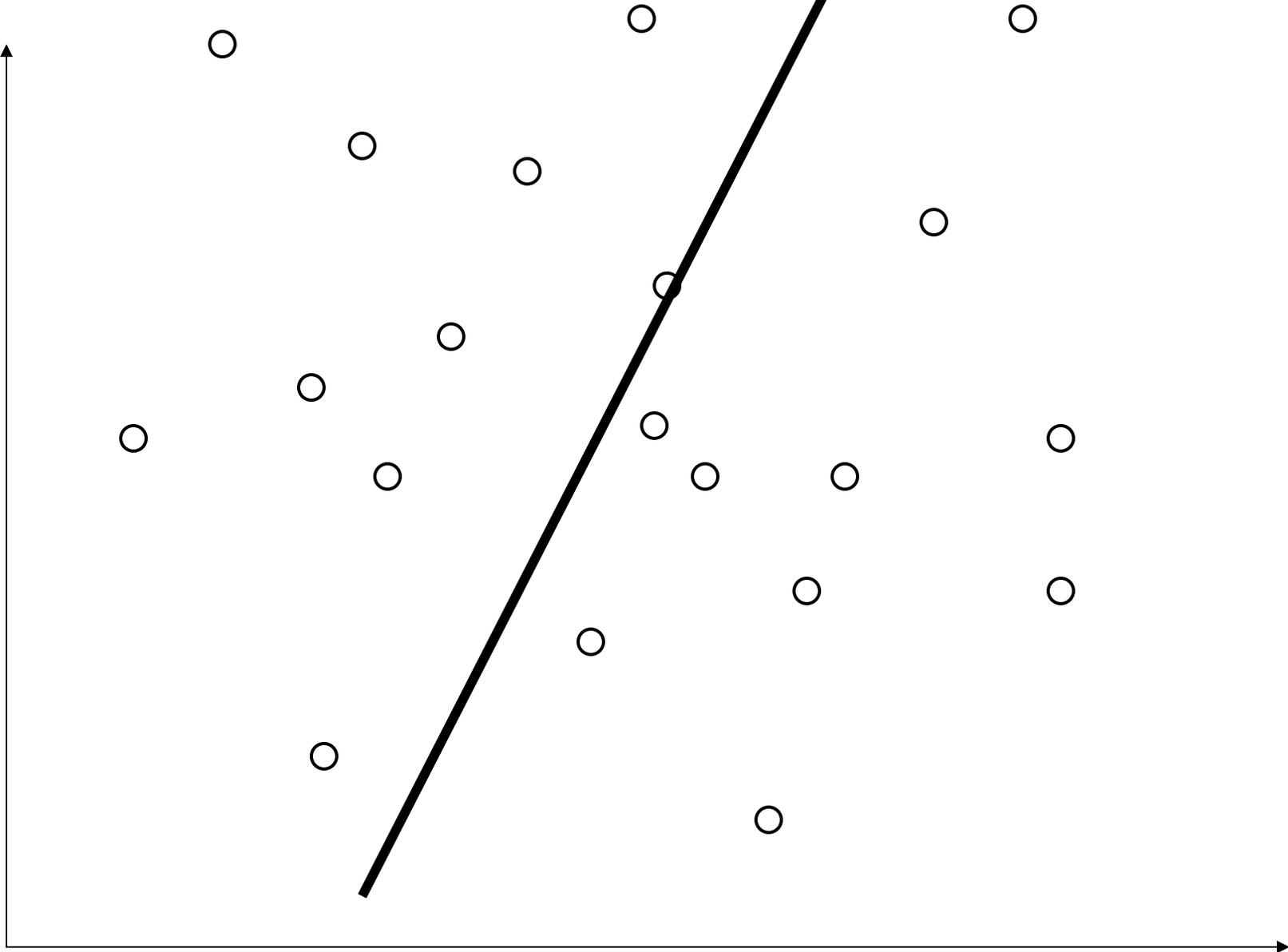


Image Space

Only by Retrieval...

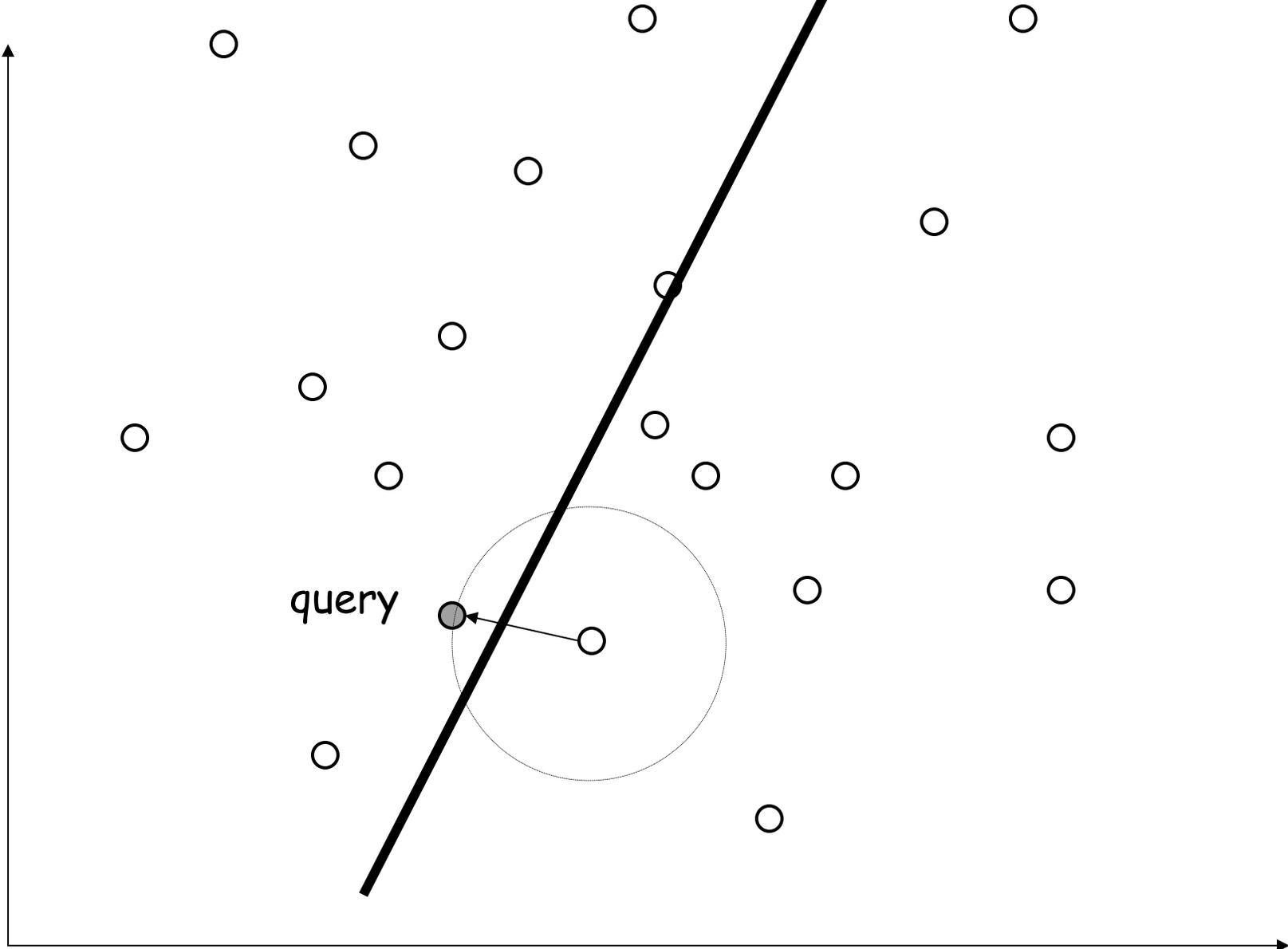


Image Space

Proposed method

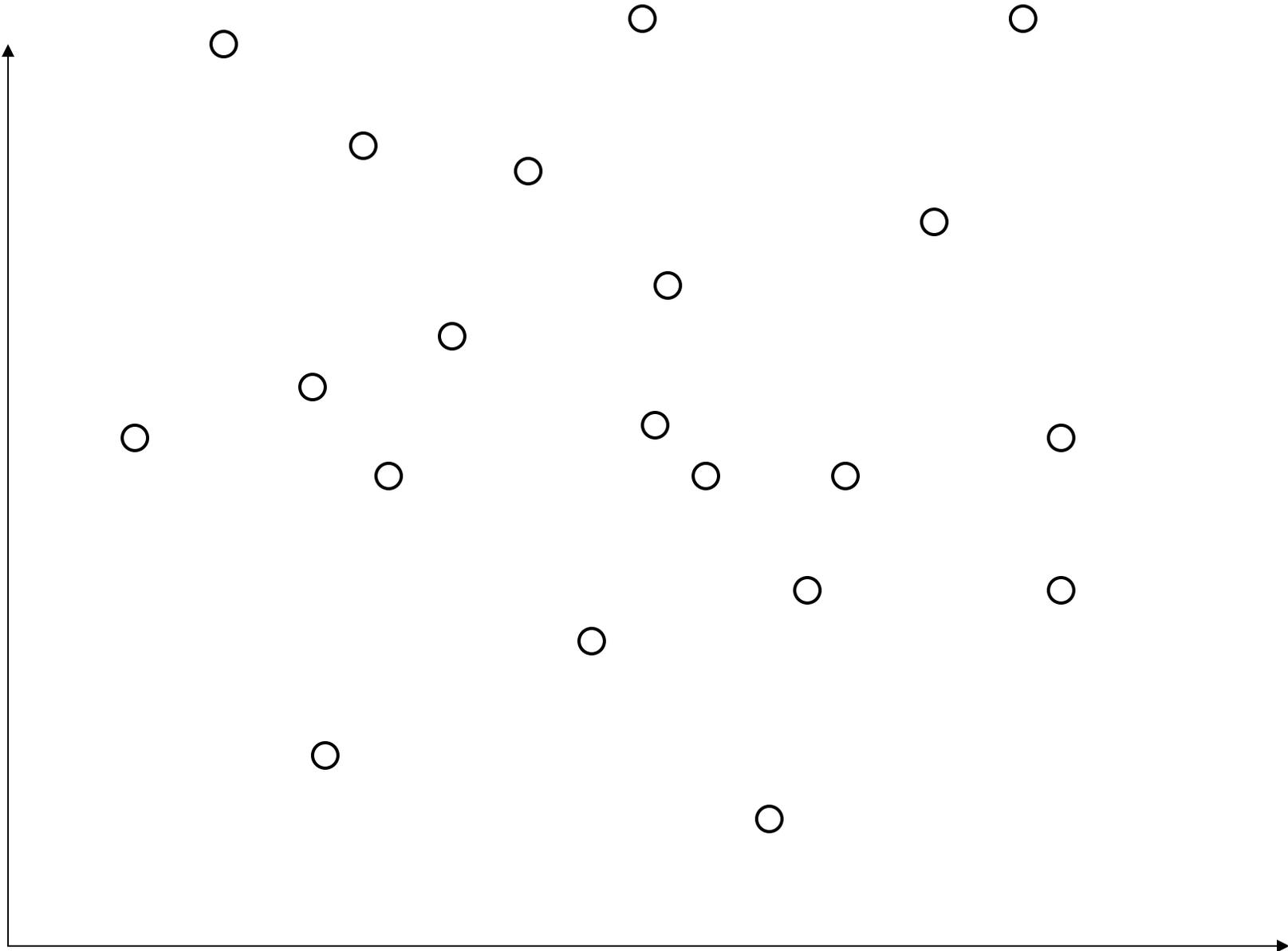


Image Space

Proposed method

Buffer Zone

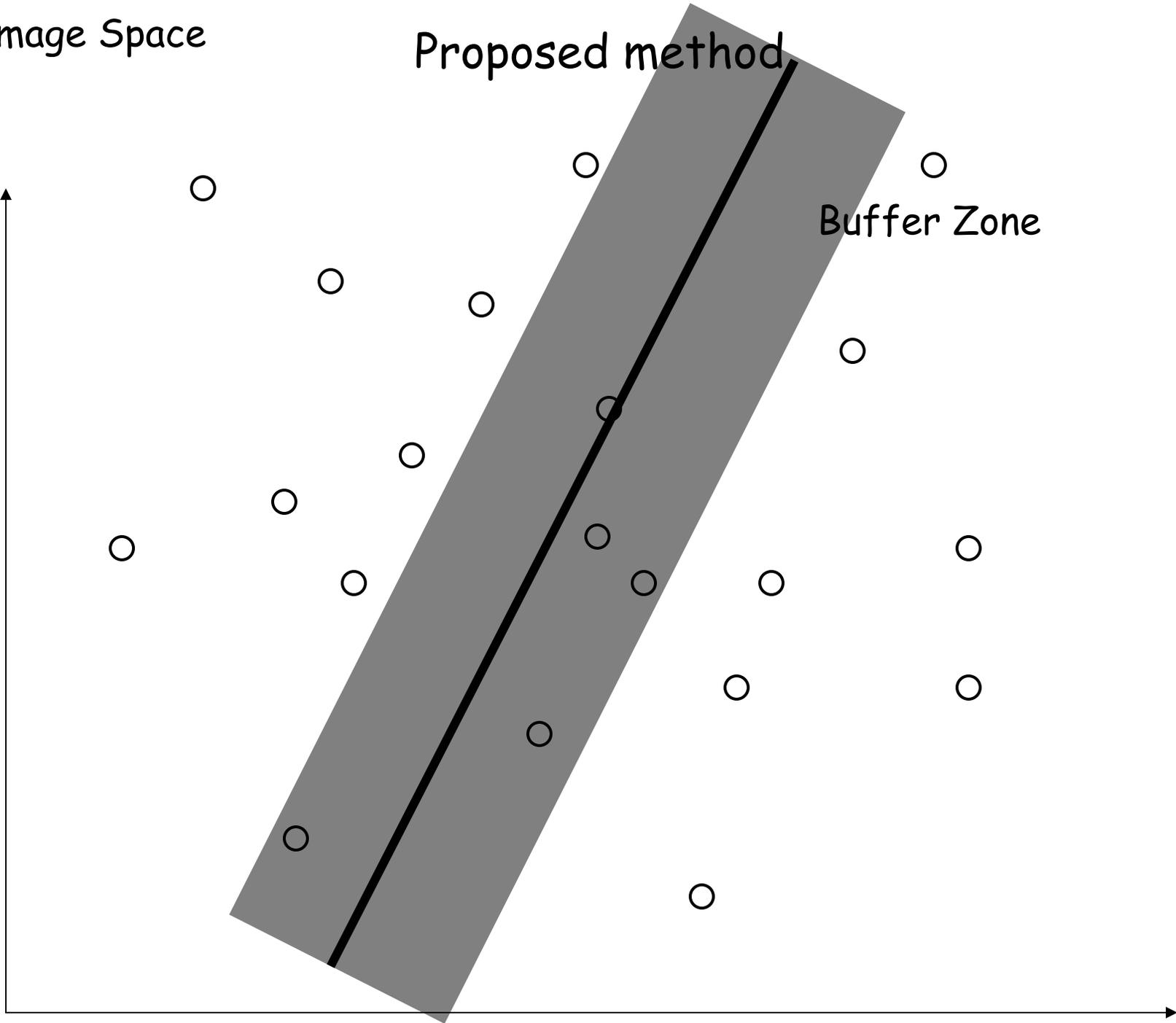
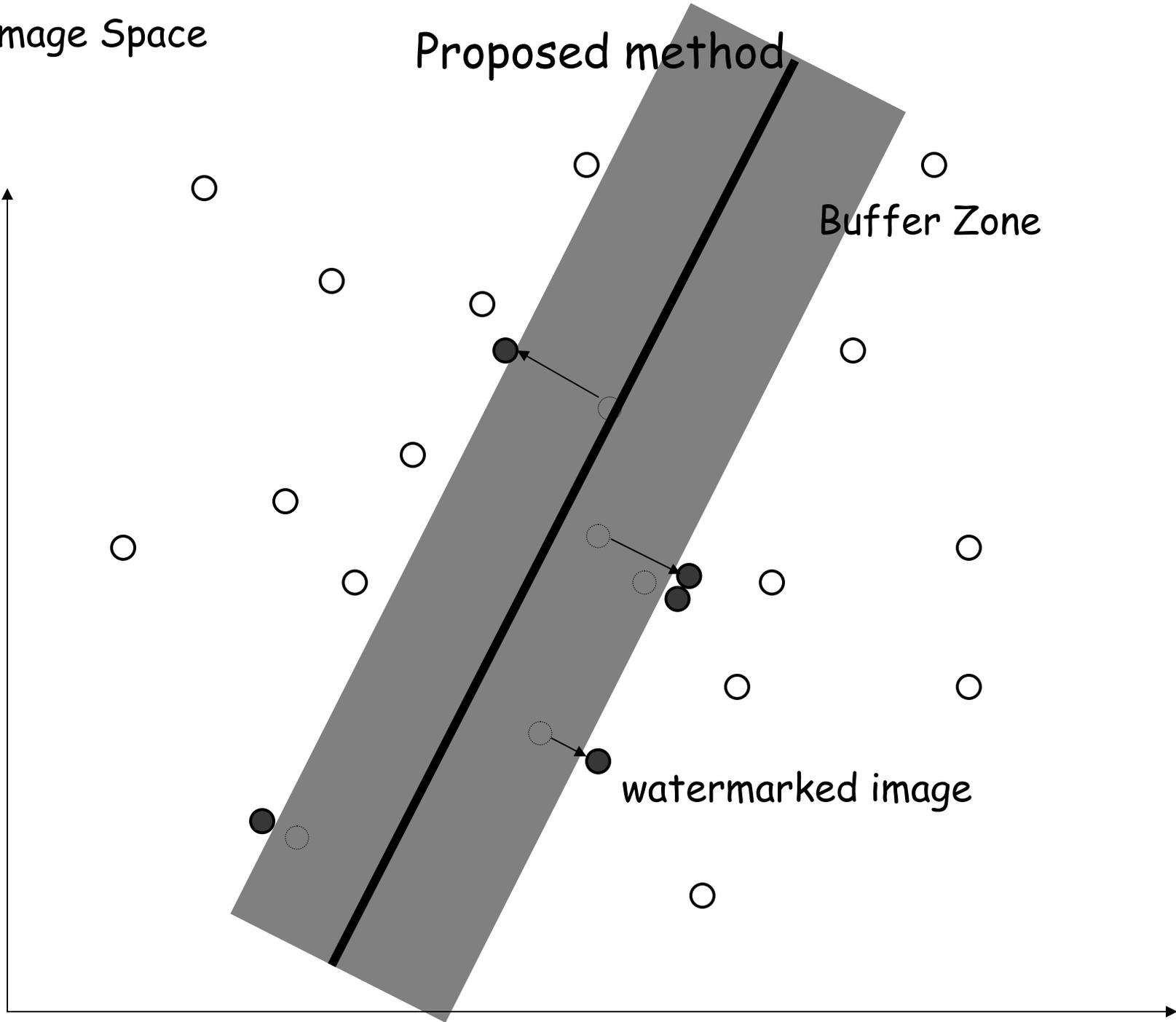


Image Space

Proposed method

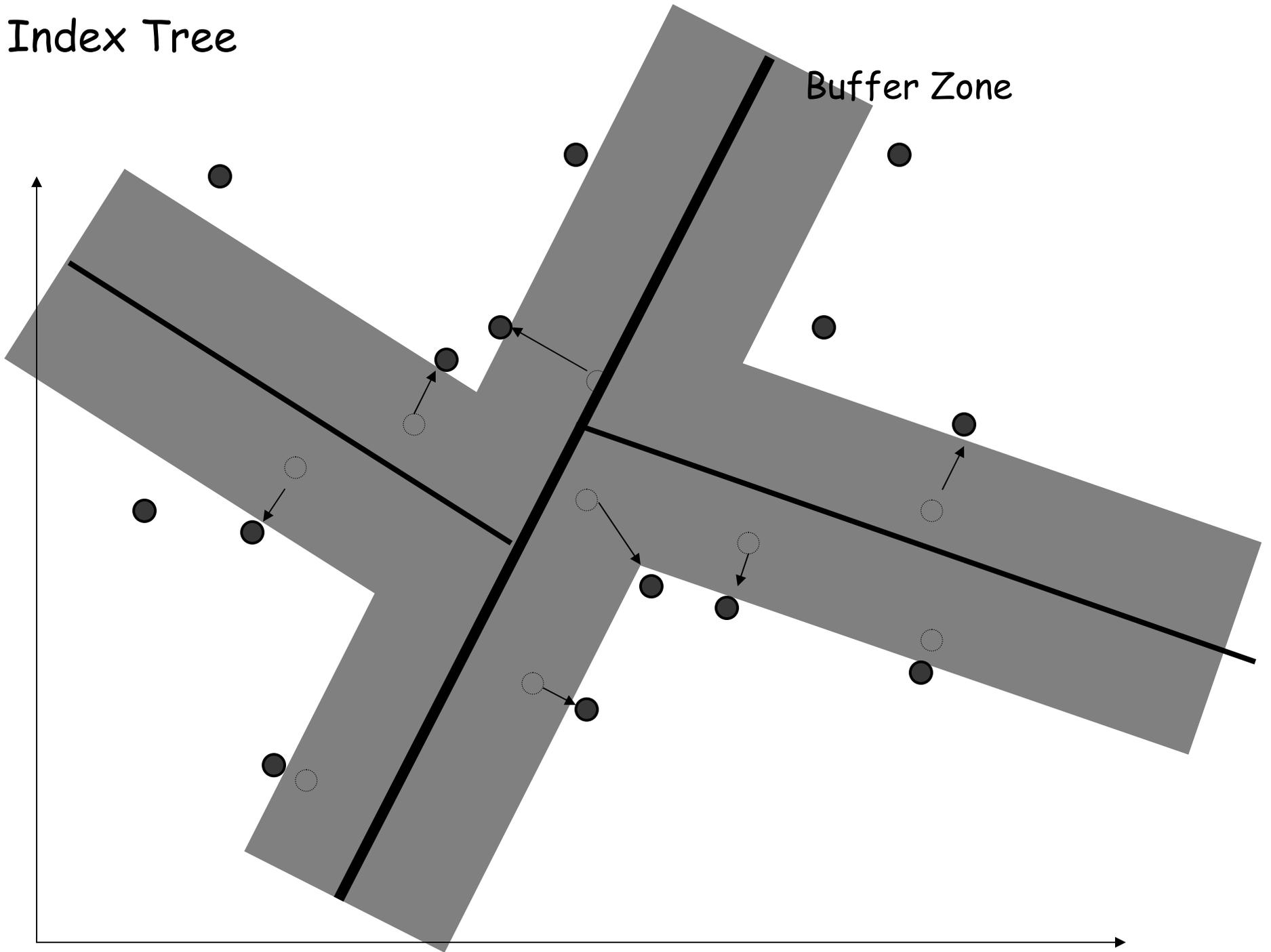
Buffer Zone

watermarked image

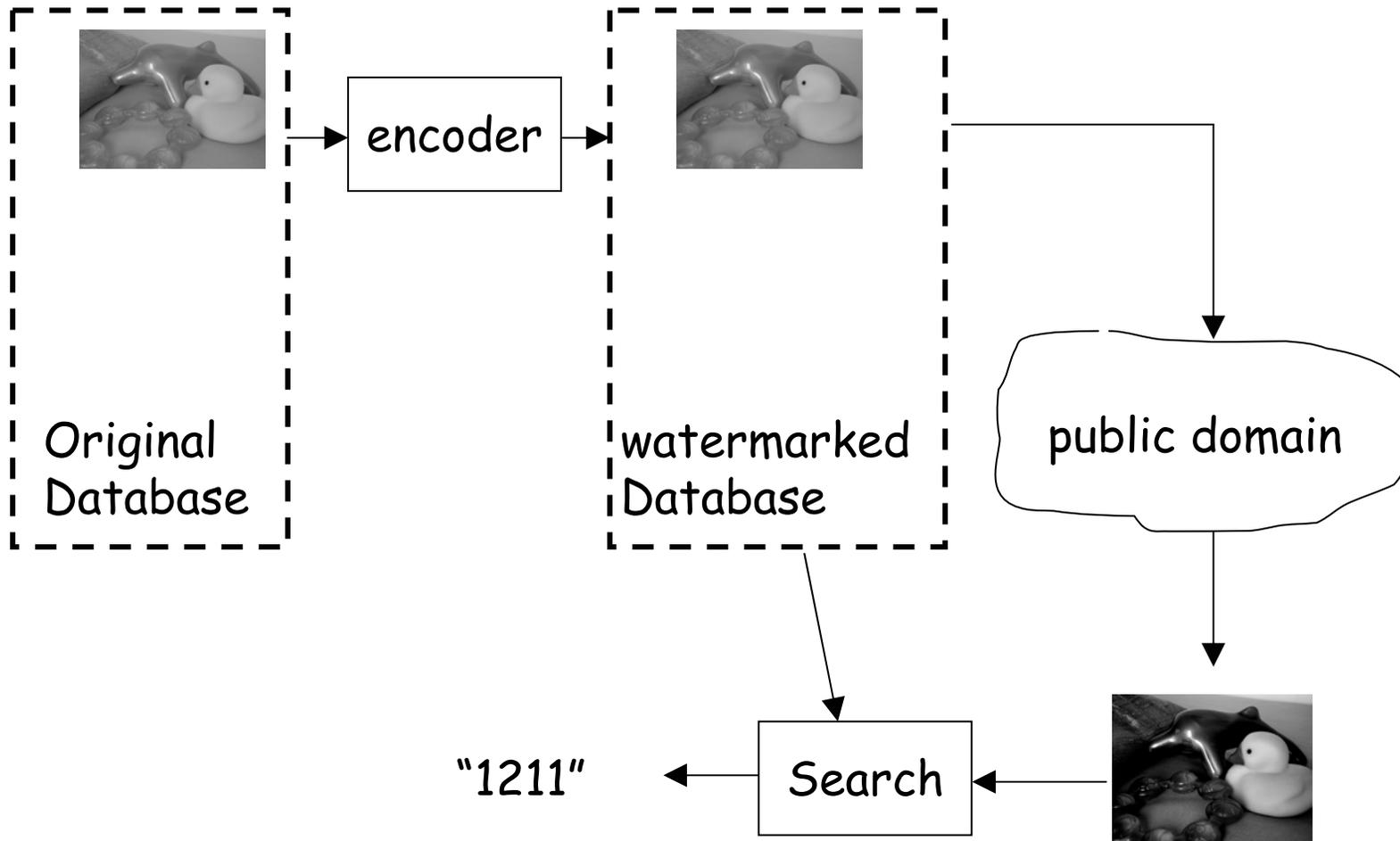


Index Tree

Buffer Zone



Identification/tracking by Retrieval with WM.



Problem Formulation:

Given $\mathbf{I} = \langle I_1, \dots, I_n \rangle$, a distortion constraint, e , and robustness σ^2 , we want to preprocess \mathbf{I} to obtain the watermarked $\mathbf{I}' = \langle I'_1, \dots, I'_n \rangle$ and an index tree.

1. The watermarked \mathbf{I}' satisfies the distortion constraint e ,

$$\sum_i \| I'_i - I_i \|^2 < e.$$

2. The index tree supports fast search, such that given the query I'_i , we can output i efficiently.

3. The searching is robust in the sense that if I'_i is corrupted by AWGN with power σ^2 , the output is correct with high probability.

Experiment

- A database of 2048 images.
Each image is downsampled to 64×64 .
- Robustness chosen to be 2
(energy of image is normalized to 1)
- Average distortion: 0.00085
Maximum distortion: 0.010

Comparison

If only watermarking is used, with average distortion of 0.00085 and robustness 2, the theoretical maximum number of images allowed is

$$(1 + 0.00085/2)^{64 \times 64/2} < 3.$$

$$\text{capacity by watermarking} = (d/2) \log (1 + e/\sigma^2)$$

[1] M.Costa, Writing on dirty paper, *IEEE Trans. Info. Theory*, 29(3), 1983.

12 images (original) from the database.



Distortion

original Image



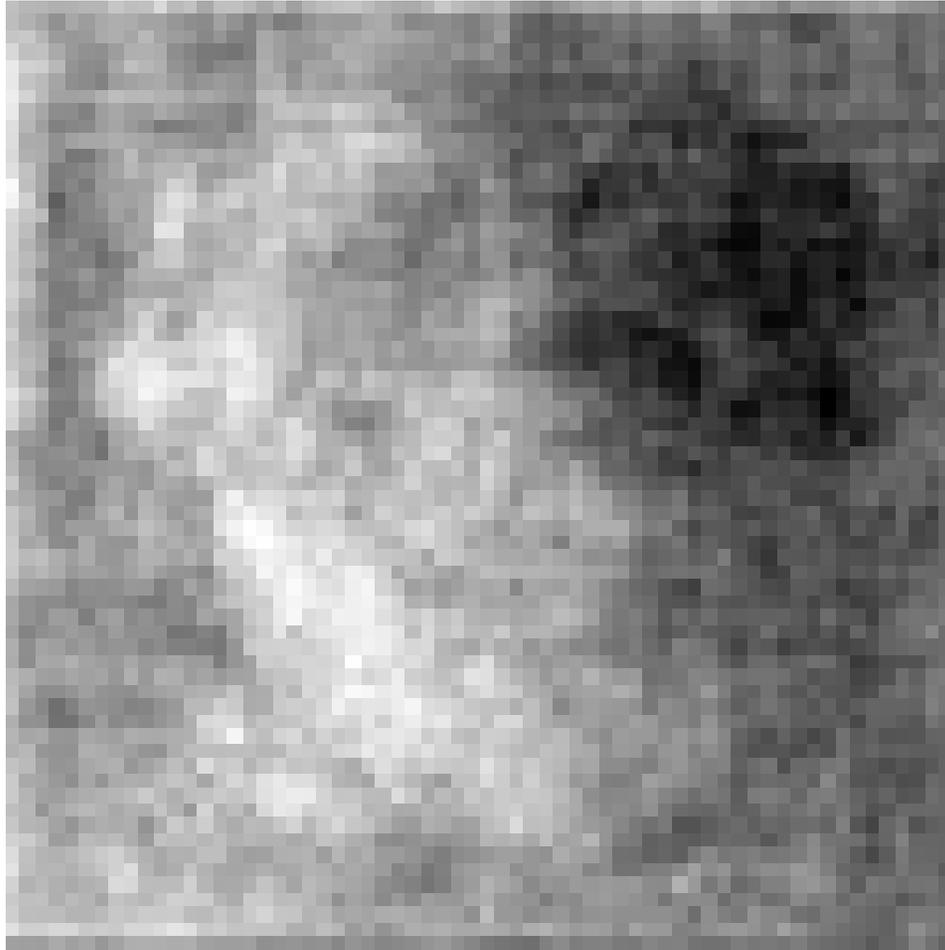
Distortion

Watermarked Image



Distortion

differences (original - watermarked)
distortion: 0.010



Distortion

original Image



Distortion

watermarked image



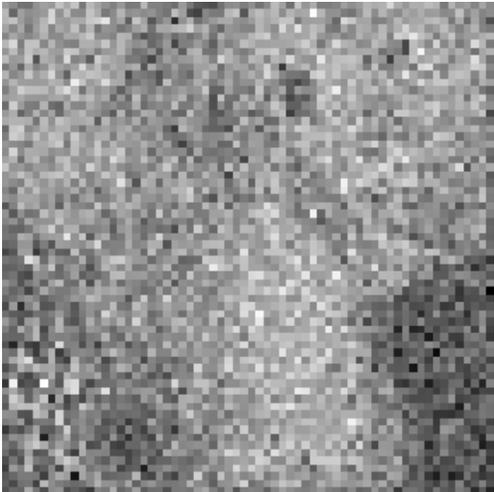
Distortion

Difference

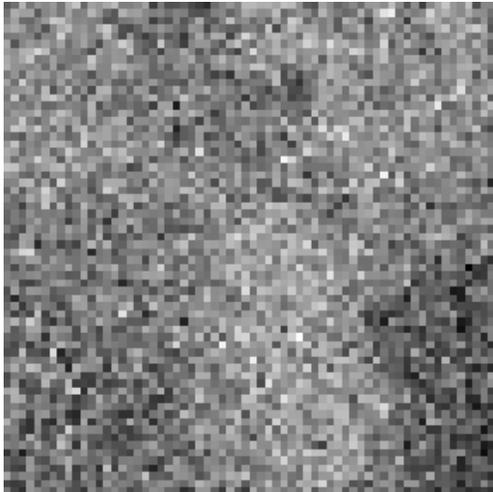
Distortion:0.0094



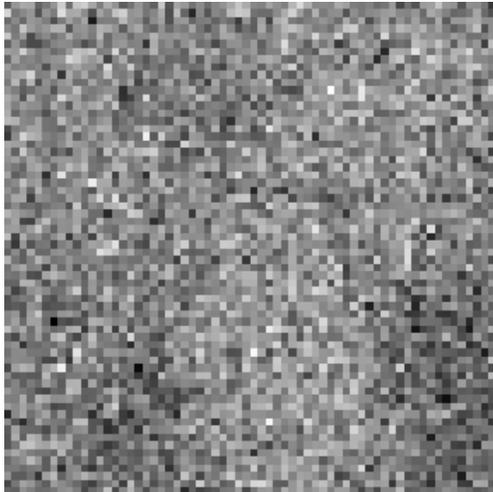
Robustness



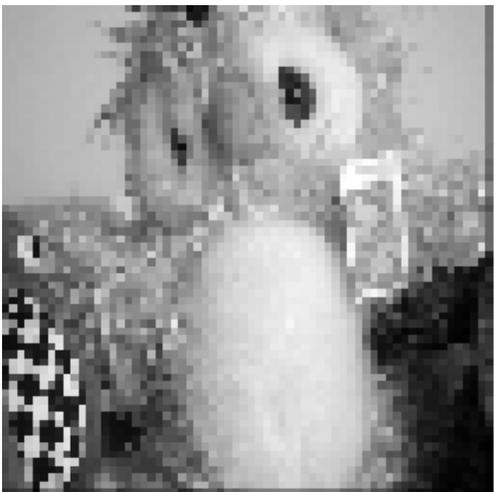
$\sigma^2 = 1$



$\sigma^2 = 2$

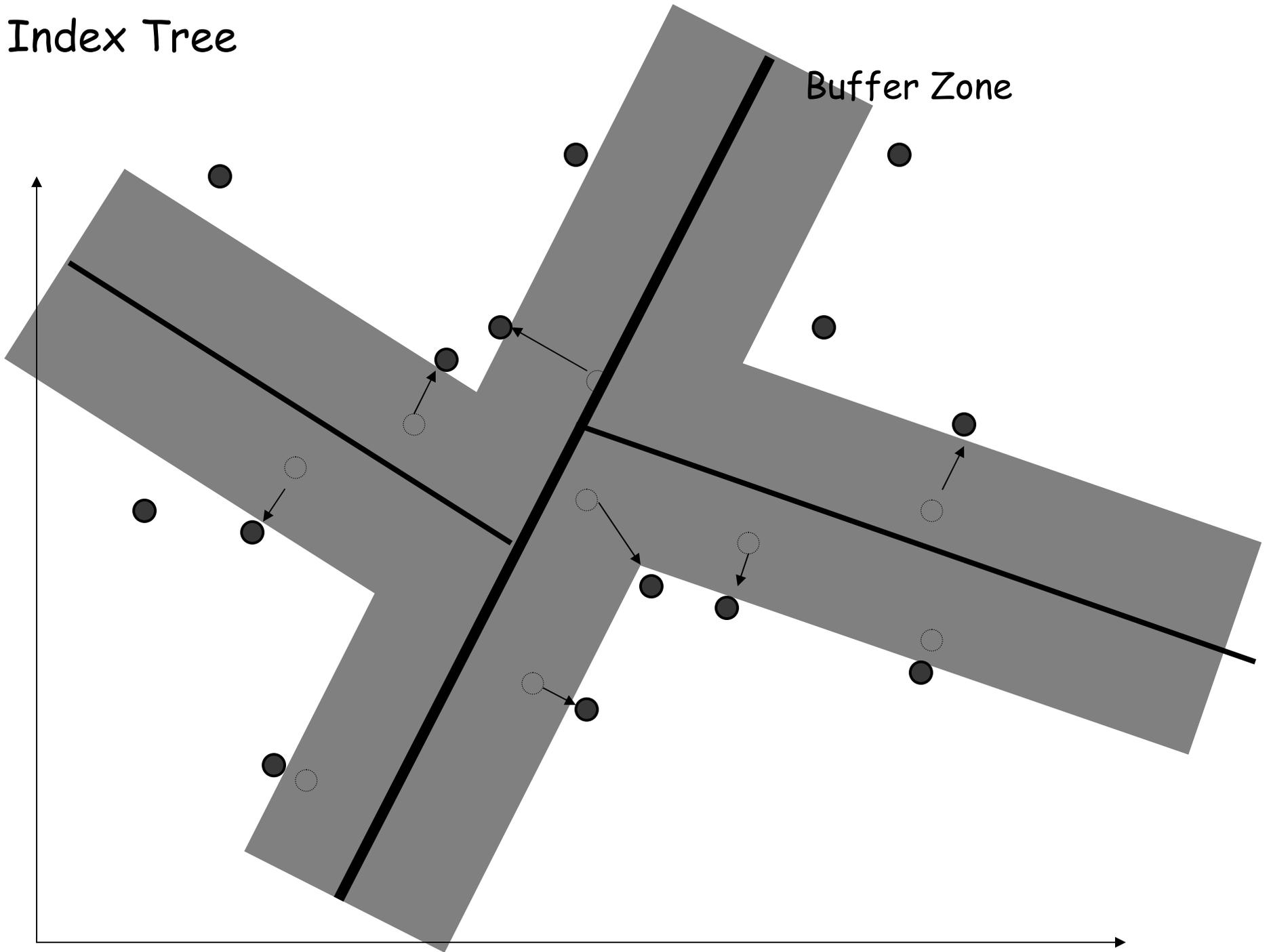


$\sigma^2 = 4$
(655 in 1000)

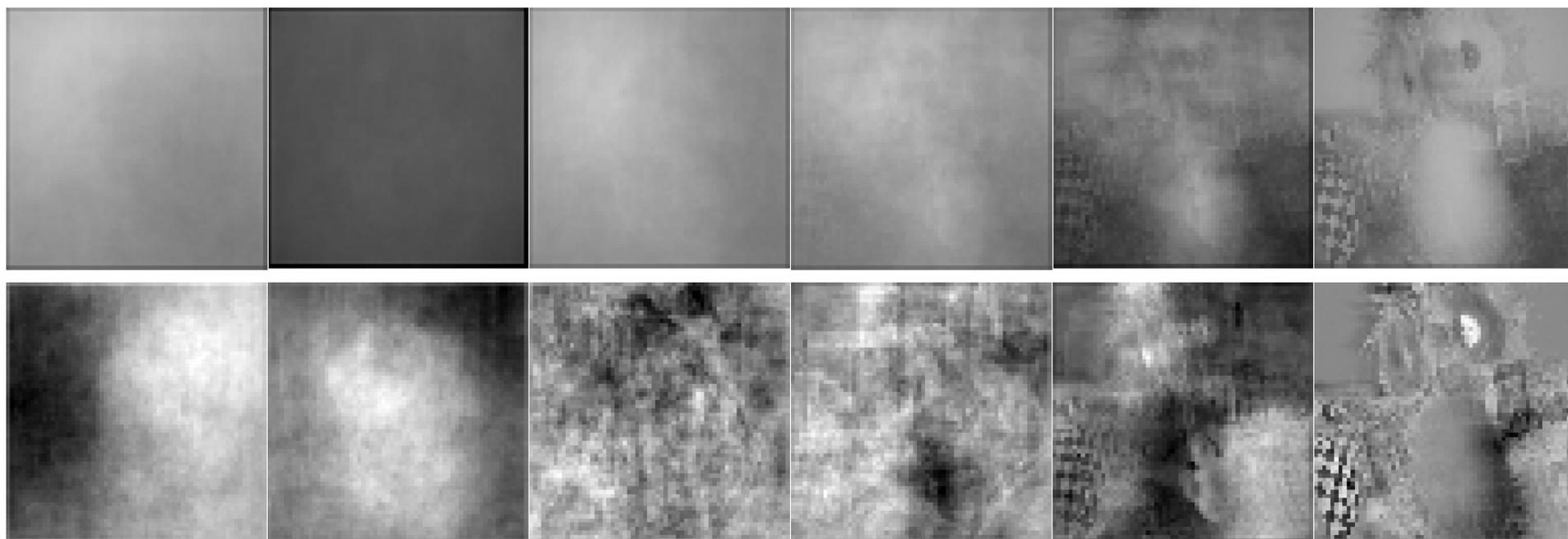


Index Tree

Buffer Zone

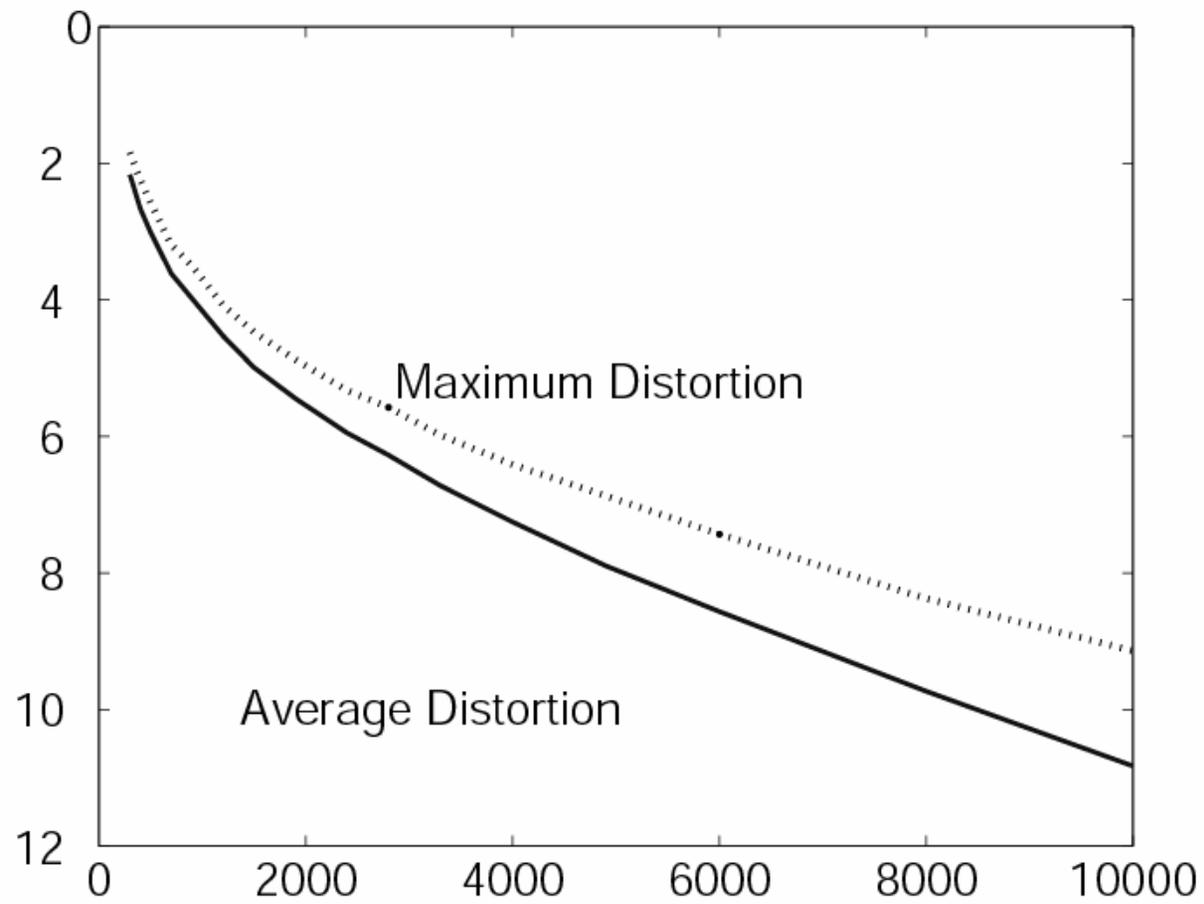


Index Tree



1st level

8th level



Variations and Future works

- Dynamic: allow the database to grow.
- Practical implementation: Consider geometric distortion (rotation, translation,...), compression, cropping, etc.
- Improving the clustering algorithm.
- Trade-off with the size of the index tree.

Conclusion

- We introduce a variant of retrieval problem where the data-point can be distorted.
- Give an algorithm which is a combination of watermarking techniques and clustering algorithms.
- With small distortion, we can search fast.
- With knowledge of the database, and searching ability, we can improve watermarking performance.